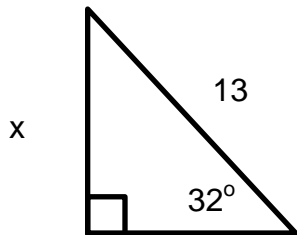


Using Trig to solve problems.

Ex 1. Find the missing side:



1. Determine what sides you have. $x =$ **the opposite**

$13 =$ **the hypotenuse**

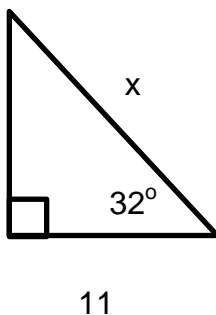
2. Determine which trig function uses those sides: **Sine**

3. Set up the equation: $\sin 32^\circ = \frac{x}{13}$

4. Solve the problem: $13 \times \sin 32^\circ = \frac{x}{13} \times 13$

$$13 \times \sin 32^\circ = x \quad x = 13 \times 0.530 = 6.89$$

Ex 2. Find the missing side:



1. $x =$ **the hypotenuse**, $11 =$ **the adjacent**

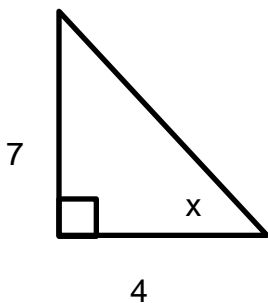
2. Use **Cosine**

3. The equation is: $\cos 32^\circ = \frac{11}{x}$

4. Solve: $x \times \cos 32^\circ = \frac{11}{x} \times x$

$$x \cos 32^\circ = 11 \quad x = \frac{11}{\cos 32^\circ} = \frac{11}{0.848} = 12.97$$

Ex 3. Find the missing angle:



1. $7 =$ **the opposite**, $4 =$ **the adjacent**

2. Use **Tangent**

3. The equation is: $\tan x = \frac{7}{4}$

Remember when we invented logs to solve exponential problems: $(b^x = y \leftrightarrow x = \log_b y)$

Now we invent INVERSE trig functions to liberate the angle from the trig equation.

For $\sin \theta$, the inverse is the “inverse sine” or “arcsine” function, written as $\sin^{-1} \theta$

So to finish example 3... $\tan^{-1} (\tan x) = \tan^{-1} \left(\frac{7}{4}\right) \rightarrow x = \tan^{-1} \left(\frac{7}{4}\right) = \tan^{-1}(1.75) = 60.25^\circ$